

# Nanocomposites and nanomaterials

## Magnetopiezoelectric effect in Sm and Nd ferborates

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We have investigated piezoelectric responses in samarium and neodymium ferborates. It appeared that the samarium compound demonstrates a giant magnetopiezoelectric effect—the effective PM is increased more than twice in the antiferromagnetic phase and it is suppressed by a magnetic field [1]. The cause of the PME is caused by the combined action of the elastic and electric fields on the orientation of the magnetic vectors in the reference plane (including the spin-flop phase). In general the nature of the MPE effect is alike to magnetocapacitance effect (ME) which is inherent for multiferroics.

The given below results [2] are related to another representative of ferborate's family – neodymium ferborate -  $\text{NdFe}_3(\text{BO}_3)_4$ . The main aim of these investigations was to detect the general laws of manifestation of MPE and ME effects in such compounds. It was obtained that despite some quantitative differences, the characteristics of these effects are similar for all easy-plane ferborates. At fields that exceed the spin-flop one the relative changes of piezomodulus  $\delta e/e$  and permittivity  $\delta \varepsilon/\varepsilon$  are described by the phenomenological equations:

$$\frac{\delta e}{e} \approx \frac{ab \sin^2 2\varphi}{e\chi H^2}, \quad \frac{\delta \varepsilon}{\varepsilon} \approx \frac{4\pi a^2 \sin^2 2\varphi}{\varepsilon\chi H^2}$$

Here  $a, b$  are magnetolectric and magnetoelastic coefficients,  $\varphi$  is angle between magnetic field direction and C2 axis and  $\chi$  is the magnetic susceptibility. On Fig.1. it is shown that the linear in  $H^2$  dependence are well fulfilled. From the slope of the approximating straight lines constants  $a$  and  $b$  can be easily determined. For  $\text{NdFe}_3(\text{BO}_3)_4$  at  $T=1,7\text{K}$   $a \approx 450 \mu\text{Cl}/\text{m}^2$ ,  $b \approx 8 \cdot 10^6 \text{ J}/\text{m}^3$ .

1. T. N. Gaydamak, I. A. Gudim, G. A. Zvyagina, I. V. Bilich, N. G. Burma, K. R. Zhekov, and V. D. Fil, Physical Review B **92**, 214428 (2015).

2. V. Bilich, K. R. Zhekov, T. N. Gaydamak, G. A. Zvyagina., V. D. Fil, Low Temperature Physics **42**, 1112 (2017) [Fiz. Nizk. Temp **41**, 792-797].